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(الأسئلة في صفتين)
(يسمح باستخدام الآلة الحاسبة)

الهندسة بالإنجليزية للصف الثالث الإعدادي (الفصل الدراسي الثاني ٢٠١٥)
تنبيه هام : (يسلم الطالب ورقة امتحانية باللغة العربية مع الورقة المترجمة)

Answer the following questions:-

First question:

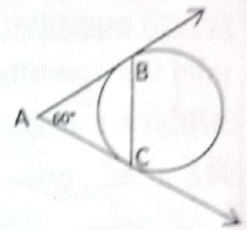
choose the correct answer from the given answers:

(1) If the point A belongs to the circle M whose length of its diameter = 6 cm then
 $MA = \dots \text{ cm}$

- a) 3 b) 4 c) 5 d) 6

(2) In the opposite figure \vec{AB}, \vec{AC} are two tangents,
 $m(\angle A) = 60^\circ$. If $AB = 4\text{ cm}$ then the length of \vec{CB} equalcm

- a) 3 b) 4 c) $4\sqrt{3}$ d) 8



(3) In the cyclic quadrilateral each two opposite angles are

- a) alternate b) supplementary c) complementary d) equal

(4) The number of tangents which we can draw them from a point on the circle equal

- a) one b) two c) four d) infinite number

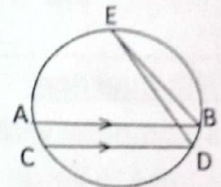
(5) The ratio between the measure of the inscribed angle to the measure of the central angle which subtended to the same arc equals

- a) 1:2 b) 2:1 c) 1:1 d) 1:3

(6) In the opposite figure : \vec{AB}, \vec{CD} are parallel chords

$m(\widehat{AC}) = 30^\circ$ then $m(\angle BED) = \dots$

- a) 10° b) 15° c) 30° d) 60°

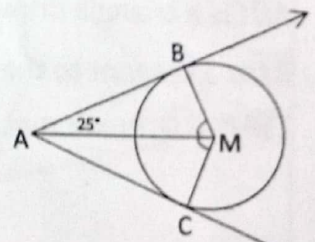


Second question:

(a) In the opposite figure:

\vec{AB}, \vec{AC} are two tangents to the circle M at B, C respectively. $m(\angle BAM) = 25^\circ$. Prove that :

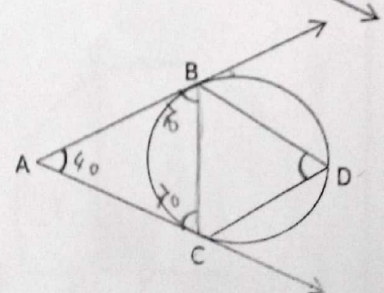
- First: \vec{AM} bisects $\angle BMC$
- second: find with proof $m(\angle BMC)$



(b) In the opposite figure:

\vec{AB}, \vec{AC} are two tangents to the circle at B, C . $m(\angle A) = 40^\circ$

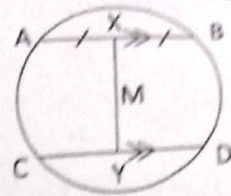
find with proof $m(\angle D)$.



Third question:

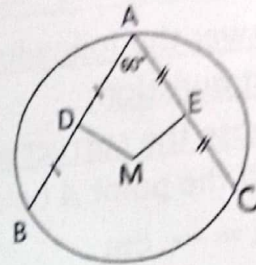
(a) In the opposite figure:

M is a circle, $\overline{AB} \parallel \overline{CD}$, X is the mid-point of \overline{AB} , \overline{XM} is drawn to cut \overline{CD} at Y . Prove that Y is the midpoint of CD .



(b) In the opposite figure:

$\overline{AB}, \overline{AC}$ are two chords in circle M , D is the mid-point of \overline{AB} , E is the mid-point of \overline{AC} , $m(\angle BAC) = 60^\circ$. Find with proof $m(\angle DME)$.

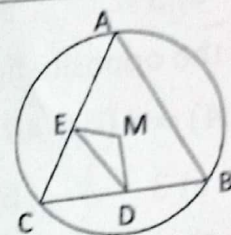


Fourth question:

(a) In the opposite figure:

ABC is a triangle drawn inside a circle M , $\overline{MD} \perp \overline{BC}$, $\overline{ME} \perp \overline{AC}$, prove that:

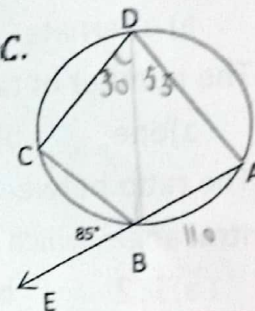
- First: $\overline{ED} \parallel \overline{AB}$.
- Second: Perimeter of triangle $CED = \frac{1}{2}$ perimeter of triangle ABC .



(b) In the opposite figure:

$E \in \overline{AB}$, $E \notin \overline{AB}$, $m(\widehat{AB}) = 110^\circ$, $m(\angle CBE) = 85^\circ$

Find with proof $m(\angle BDC)$.

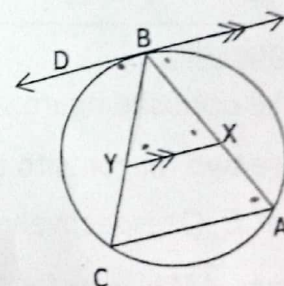


Fifth question:

(a) Complete with proof. The measure of the angle of tangency equal the measure
 ...opposite to it's chord

(b) In the opposite figure:

ABC is a triangle drawn inside a circle, \overline{BD} is a tangent to the circle at B , $\overline{XY} \parallel \overline{BD}$. Prove that: $AXYC$ is a cyclic quad.



(انتهت الأسئلة)

Geometry 2015

- 2nd Term -

Q.1 Choose

① a) 3

② b) 4

③ b) supplementary

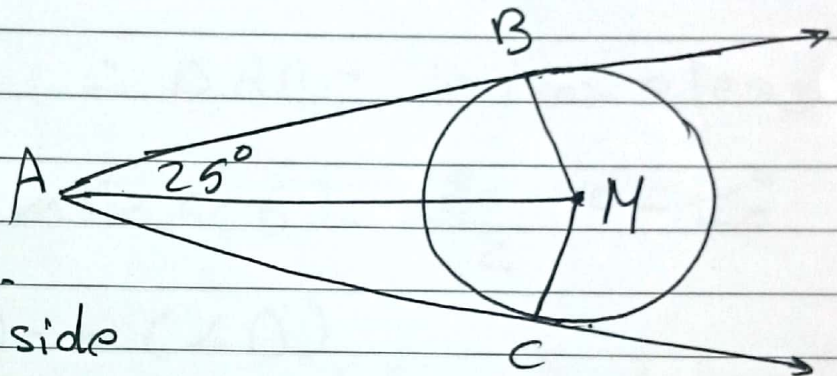
④ a) one

⑤ a) 1:2

⑥ b) 15°

Q.2 a)

Proof:-



In $\triangle MBA, \triangle MCA$:-

$\left\{ \begin{array}{l} \overline{AM} \text{ is a common side} \\ MB = MC = r \end{array} \right.$

$m(\angle ABM) = m(\angle ACM) = 90^\circ$ (tangent and radius)

$\therefore \triangle MBA \cong \triangle MCA$

and from congruency:-

$m(\angle BMA) = m(\angle CMA)$

$\therefore \overrightarrow{MA}$ bisects $\angle BMC$ # \downarrow

In the figure $ABMC$:-

$\therefore m(\angle B) + m(\angle C) = 90^\circ + 90^\circ = 180^\circ$

and they're opposite

$\therefore ABMC$ is cyclic quad.

$\therefore m(\angle BMC) = 180^\circ - (2 \times 25^\circ) = 130^\circ$

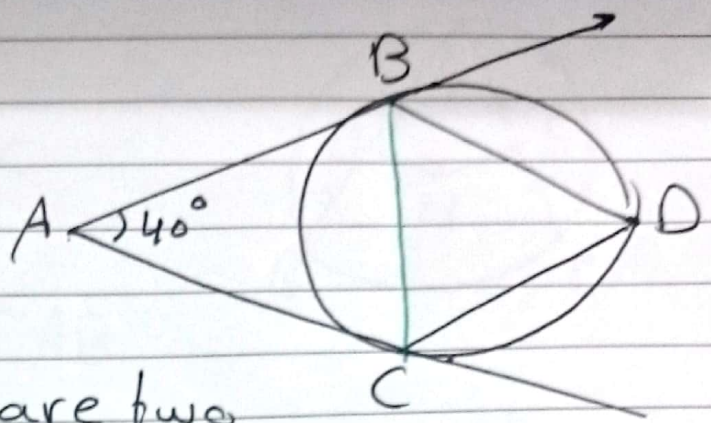
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(17)

Q.2 (b)

Construction:-

Join \overline{BC}



Proof
 $\because \overline{AB}, \overline{AC}$ are two tangents segments from A

$\therefore AB = AC \quad \therefore \triangle ABC$ is isosceles

$$\therefore m(\angle ABC) = m(\angle ACB) = \frac{180 - 40}{2} = 70^\circ$$

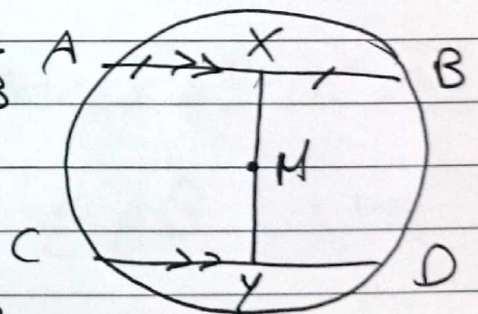
$\because m(\angle ABC) = m(\angle D)$
(angle of tangency and inscribed in the opposite side of chord of tangency)

$$\therefore m(\angle D) = 70^\circ \quad \#$$

Q.3 (a) proof

$\because X$ is mid point of \overline{AB}

$\therefore \overline{MX} \perp \overline{AB}$
 $\because \overline{AB} \parallel \overline{CD}$



$\therefore m(\angle BXY) = m(\angle XYC) = 90^\circ$
(alternate)

$\therefore \overline{MY} \perp \overline{CD}$

$\therefore Y$ is mid point of \overline{CD}
 $\#$

18

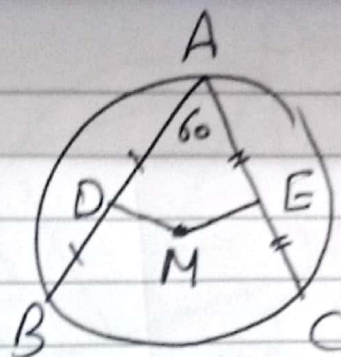
Q.3 (b) Proof

$\therefore E$ is midpoint of \overline{AC}

$\therefore \overline{ME} \perp \overline{AC}$

$\therefore D$ is midpoint of \overline{AB}

$\therefore \overline{MD} \perp \overline{AB}$



In the quadrilateral $AEMD$:-

$$m(\angle EMD) = 360 - (90 + 90 + 60) = 120^\circ \quad \#$$

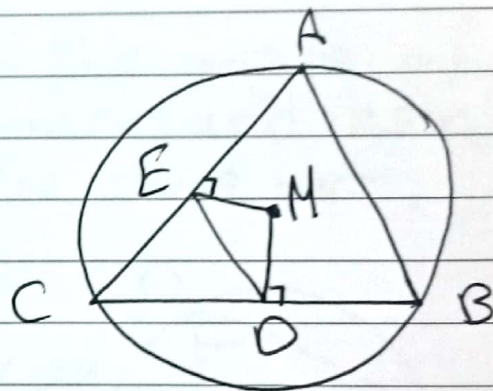
Q.4 (a) Proof:

$\therefore \overline{MD} \perp \overline{CB}$

$\therefore D$ is midpoint of \overline{CB}

$\therefore \overline{ME} \perp \overline{AC}$

$\therefore E$ is midpoint of \overline{AC}



In $\triangle ABC$ $\therefore E, D$ are midpoints of $\overline{AC}, \overline{BC}$

$$\therefore \overline{ED} \parallel \overline{AB} \quad \text{and} \quad ED = \frac{1}{2} AB \quad \#$$

\therefore Perimeter of $\triangle CED = CE + ED + DC$

$$\therefore CE = \frac{1}{2} AC, \quad ED = \frac{1}{2} AB, \quad CD = \frac{1}{2} CB$$

$$\therefore \text{Per. of } \triangle CED = \frac{1}{2} AC + \frac{1}{2} AB + \frac{1}{2} CB$$

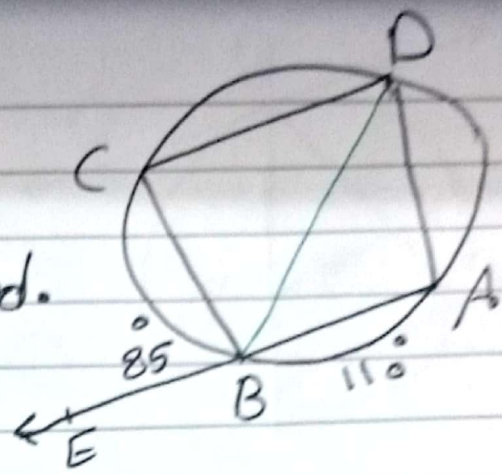
$$= \frac{1}{2} (AC + AB + CB) = \frac{1}{2} \text{ Per. of } \triangle ABC \quad \#$$

(19)

Q.4 (b) Join \overline{BD}

Proof

$\therefore ABCD$ is cyclic quad.



$$\therefore m(\angle CBE) = m(\angle ADC) = 85^\circ$$

(exterior and interior opposite to its adjacent)

$$\therefore m(\angle ADB) = \frac{1}{2} m(\widehat{AB}) = \frac{1}{2} \times 110^\circ = 55^\circ$$

$$\therefore m(\angle BDC) = 85 - 55 = 30^\circ \quad \#$$

Q.5 (a) The measure of the angle of tangency equal the measure inscribed angle subtended by the same arc.

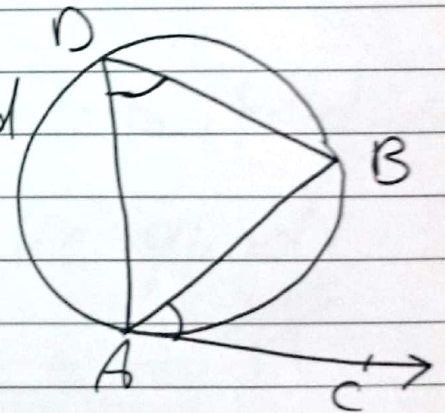
Given: $\angle BAC$ is an angle of tangency, $\angle D$ is inscribed

R.T.P

$$m(\angle BAC) = m(\angle D)$$

Proof

$\therefore \angle BAC$ is an angle of tangency



$$\therefore m(\angle BAC) = \frac{1}{2} m(\widehat{AB}) \quad (1)$$

$\therefore \angle D$ is an inscribed angle

$$\therefore m(\angle D) = \frac{1}{2} m(\widehat{AB}) \quad (2)$$

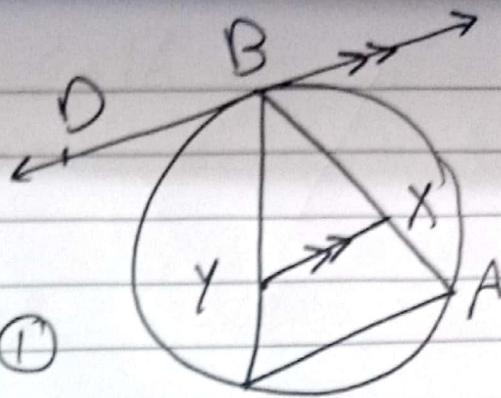
$$\text{From (1), (2) } \therefore m(\angle BAC) = m(\angle D) \quad \#$$

(20)

Q.5 (b) proof

$\therefore \overline{BD}$ is a tangent at B

$$\therefore m(\angle DBC) = m(\angle A) \quad (1)$$



(angle of tangency and inscribed^c
on the same arc)

$$\therefore \overline{BD} \parallel \overline{XY}$$

$$\therefore m(\angle DBC) = m(\angle BYX) \rightarrow (2)$$

(alternate)

From (1), (2)

$$\therefore m(\angle A) = m(\angle BYX)$$

(exterior and interior opposite to its adjacent)

$\therefore XYCA$ is a cyclic quad.
#

(21)