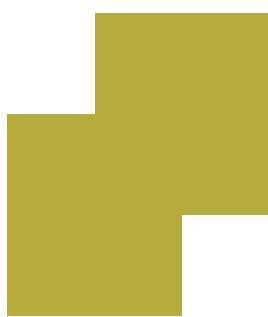


تم تحميل هذا الملف من موقع المناهج المصرية



موقع المناهج المصرية

www.alManahj.com/eg

" >

* للحصول على أوراق عمل لجميع الصفوف وجميع المواد اضغط هنا

<https://almanahj.com/eg>

* للحصول على أوراق عمل لجميع مواد الصف التاسع اضغط هنا

<https://almanahj.com/eg/9>

* للحصول على جميع أوراق الصف التاسع في مادة رياضيات ولجميع الفصول، اضغط هنا

<https://almanahj.com/eg/9>

* للحصول على أوراق عمل لجميع مواد الصف التاسع في مادة رياضيات الخاصة بـ اضغط هنا

<https://almanahj.com/eg/9>

* لتحميل كتب جميع المواد في جميع الفصول للصف التاسع اضغط هنا

<https://almanahj.com/eg/grade9>

Answer the following questions:-First Question: Choose the correct answer from those between brackets:

- (1) The ratio between the measure of the central angle and the measure of the inscribed angle subtended by the same arc is ... (1:2 ; 2:1 ; 1:1 ; 1:3)
- (2) The number of common tangent of two circles touch internally (1; 2 ; 3 ; 0)

- (3) In the opposite figure if $m(\angle BMD) = 90^\circ$ Then $m(\angle C) = \dots$

(45° ; 135° ; 90° ; 150°)

- (4) The measure of inscribed angle drawn in semi-circle

(360° ; 180° ; 120° ; 90°)

- (5) M is a circle with diameter length 8 cm, If the straight line L is distant from its center 3 cm then L is

(tangent to the circle ; a secant for the circle ; outside the circle ; axe of symmetry for the circle)

- (6) M and N are two circles touching interlay, If their radii lengths are 4cm, 7cm. Then MN = ... cm

(3; 4 ; 7 ; 11)

Second Question:

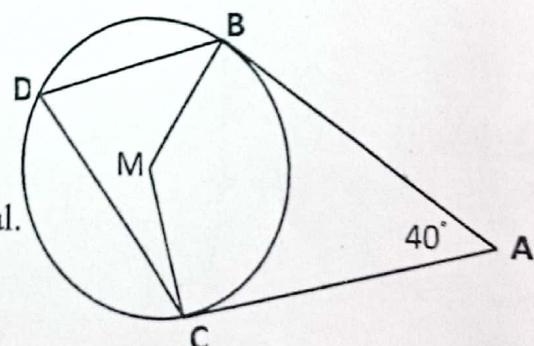
- a) In the opposite figure :

\overline{AB} , \overline{AC} are two tangents for the circle M at B,C

$m(\angle A) = 40^\circ$

1) Find $m(\angle D)$

2) Prove That: ABMC is a cyclic quadrilateral.

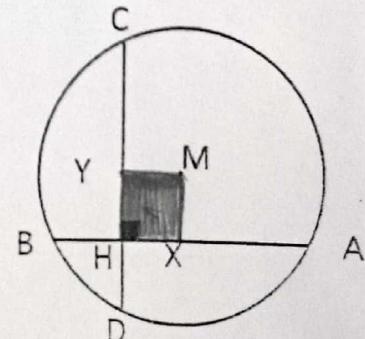


- b) In the opposite figure :

\overline{AB} , \overline{CD} are two perpendicular chords and have the same length in the circle M.

If X and Y are the midpoints of \overline{AB} , \overline{CD} respectively .

Prove that: MXHY is a square.



(بقية الأسئلة في الصفحة الثانية)

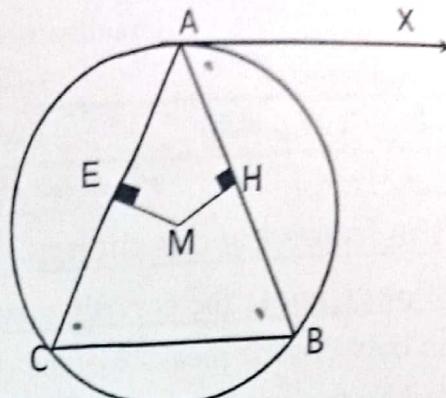
Third Question:

a) In the opposite figure:

\overline{AX} is a tangent of circle M at A

$MH \perp AB$, $ME \perp AC$, $MH = ME$.

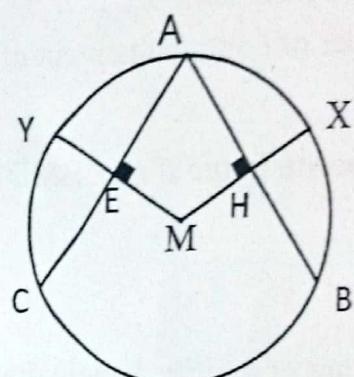
Prove That: $\overline{AX} \parallel \overline{CB}$



b) In the opposite figure:

$MH \perp AB$, $ME \perp AC$, $XH = YE$

Prove That: $AB = AC$

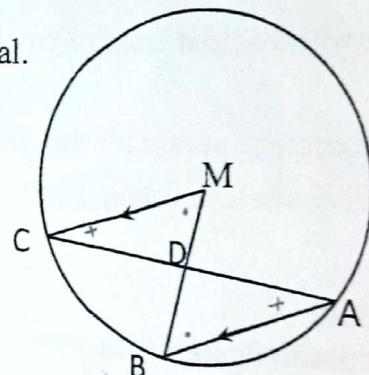
**Fourth Question:**

a) State two cases of quadrilateral is cyclic quadrilateral.

b) In the opposite figure:

$MC \parallel AB$.

Prove that: $AD > DB$

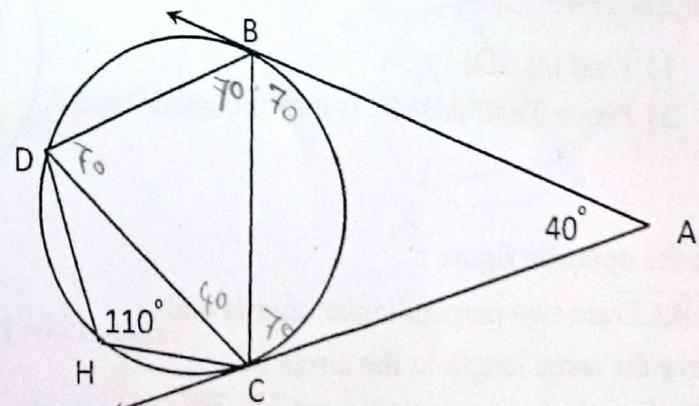
**Fifth Question:**

In The opposite figure:

$$m(\angle A) = 40^\circ, m(\angle H) = 110^\circ$$

Prove that:

- 1) \overline{CB} bisects $\angle ABD$
- 2) $BC = CD$



Geometry 2016

- 2nd Term -

Q.1 Choose

① $2:1$

② 1

③ 135°

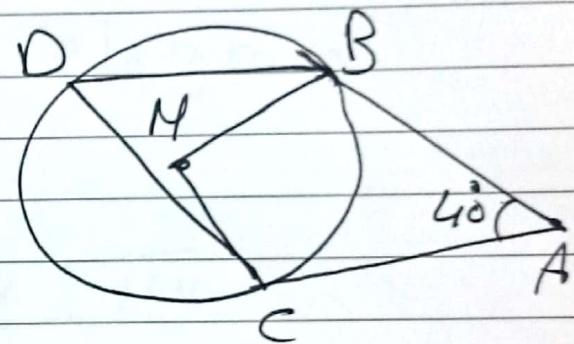
④ 90°

⑤ a secant for the circle

⑥ 3 cm

Q.2 a Proof

$\therefore \overline{AB}, \overline{AC}$ are two tangents, $\overline{MB}, \overline{MC}$ are two radii
 $\therefore \overline{MB} \perp \overline{AB}, \overline{MC} \perp \overline{AC}$



$$\therefore m(\angle MBA) = m(\angle MCA) = 90^\circ$$

In the quadrilateral $ABMC$:

$$m(\angle M) = 360^\circ - (90^\circ + 90^\circ + 40^\circ) = 140^\circ$$

$$\therefore m(\angle D) = \frac{1}{2} m(\angle M) \quad (\text{inscribed and central})$$

$$\therefore m(\angle D) = \frac{1}{2} \times 140^\circ = 70^\circ \quad \text{XX}$$

In quadrilateral $ABMC$:

$$\therefore m(\angle B) + m(\angle C) = 90^\circ + 90^\circ = 180^\circ$$

and they're opposite

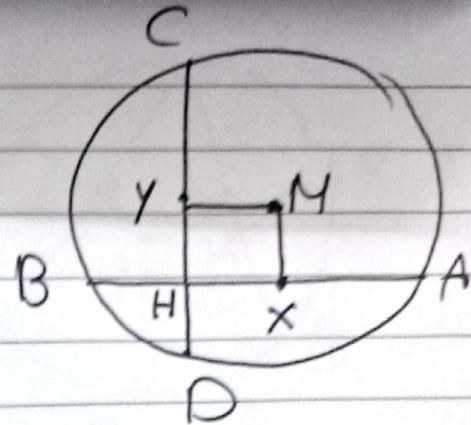
$\therefore ABMC$ is cyclic quad. XX

(22)

Q.2 (b) Proof:

$\therefore X$ is mid point of \overline{AB} ,
 Y is mid point of \overline{CD}

$\therefore MX \perp AB$, $MY \perp CD$



$\therefore AB \perp CD$ (given)

$\therefore MX \parallel YH$, $MY \parallel XH$

$\therefore MXHY$ is a parallelogram

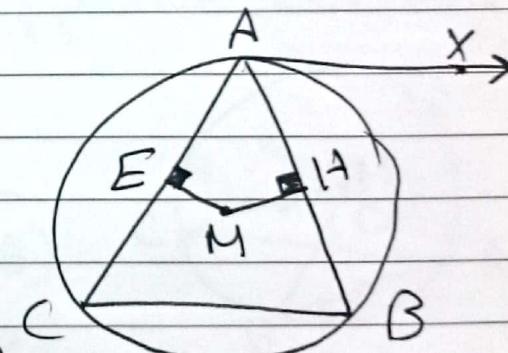
$\therefore AB = CD$

$\therefore MX = MY$, $MX \perp MY$

$\therefore MXHY$ is a square \times

Q.3 (a) proof

$\therefore \overrightarrow{AX}$ is a tangent, \overline{AB} is a chord



$\therefore m(\angle XAB) = m(\angle C) \rightarrow ①$

$\therefore MH \perp AB$, $ME \perp AC$, $MH = ME$

$\therefore AB = AC \therefore \triangle ABC$ is isosceles

$\therefore m(\angle B) = m(\angle C) \rightarrow ②$

From ①, ② $m(\angle XAB) = m(\angle B)$
 and they're alternate $\therefore \overrightarrow{AX} \parallel \overrightarrow{CB}$ \times

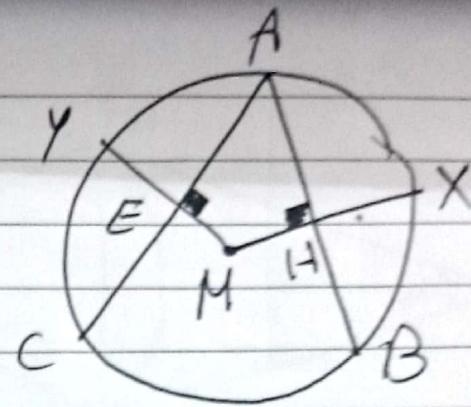
(23)

[Q.3] b) proof

$\therefore MX = MY = \text{radius} \rightarrow \textcircled{1}$

$\therefore HX = EY \rightarrow \textcircled{2} \text{ (given)}$

by subtracting $\textcircled{2}$ from $\textcircled{1}$



$\therefore MH = ME$

$\therefore \overline{MH} \perp \overline{AB}, \overline{ME} \perp \overline{AC}$

$\therefore AB = AC \quad \cancel{\cancel{\#}}$

[Q.4] a) The quadrilateral is cyclic if:

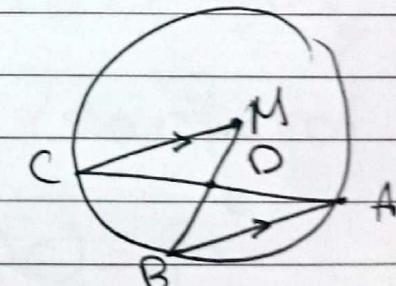
(1) Each Two opposite angles are supplementary.

(2) The measure of the exterior angle at a vertex equals the measure of the interior angle at the opposite vertex.

b) Proof : $\therefore \overline{MC} \parallel \overline{AB}$

$\therefore m(\angle M) = m(\angle B) = m(\widehat{CB})$
(alternate)

$\therefore m(\angle A) = \frac{1}{2} m(\widehat{CB})$ (inscribed)



In $\triangle ABD$

$m(\angle B) > m(\angle A)$

$\therefore AD > BD \quad \cancel{\cancel{\#}}$

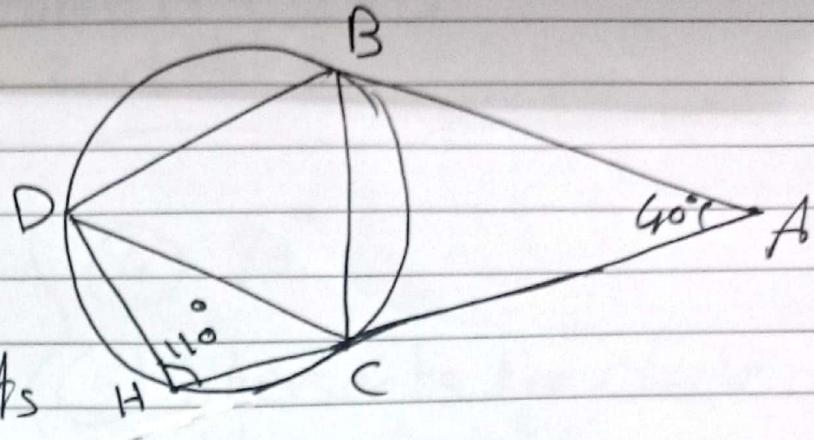
(24)

[Q.5]

Proof :

$\therefore \overline{AB}, \overline{AC}$ are

two tangent segments



From A

$\therefore AB = AC$

$$\therefore m(\angle ABC) = m(\angle ACB) = \frac{180 - 40}{2} = 70^\circ \rightarrow ①$$

$\therefore BCDH$ is cyclic quad, $\angle BHD$, $\angle CBD$ are opposite

$$\therefore m(\angle CBD) = 180 - 110 = 70^\circ \rightarrow ②$$

From ① and ②

$$m(\angle ABC) = m(\angle CBD) = 70^\circ$$

$\therefore \overline{BC}$ bisects angle ABD ~~XY~~

$\therefore \overline{AB}$ is a tangent, \overline{BC} is a chord

$$\therefore m(\angle ABC) = m(\angle BDC) = 70^\circ$$

\therefore In $\triangle BCD$:

$$m(\angle CBD) = m(\angle BDC) = 70^\circ$$

$$\therefore BC = CD \quad \text{~~XZ~~}$$

(25)